

Ex-4.3
Name
(40)

Find out the water requirement of tomato having spacing of 30cm x 45cm x 60cm. Pan evaporation of the region is 7 mm/day. Assume crop factor & Pan factor.

see Solⁿ:-

Given data

Water

- Crop area = 30cm x 45cm = 0.30m x 0.45m
- PE = 7 mm/day
- Pc = 0.7
- Kc = 0.8

Water requirement = Crop area x PE x Pc x Kc

$$= 0.30 \times 0.45 \times 7 \times 0.7 \times 0.8$$

$$= 0.53 \text{ lit/day/plant}$$

Ex-4.4
Name
(40)

Calculate the quantity of water requirement in m³/ha/day for banana using following data.

- Spacing between the plants & row = 1.5 x 1.5 m²
- Pan evaporation = 10 mm/day
- Pan factor = 0.70
- Crop coefficient = 1.0
- % wetted area = 60

Solⁿ:-

Water requirement = Crop area x PE x Pc x Kc x % of wetted area

$$= 1.5 \times 1.5 \times 10 \times 0.70 \times 1.0 \times 0.6$$

$$= 9.45 \text{ lit/day/plant}$$

± - Plant 9.45 lit/day

$$\text{No. of plants} = \frac{\text{Area}}{\text{Crop area}}$$

$$= \frac{10,000}{1.5 \times 1.5}$$

$$= 4445$$

So,

$$\text{Quantity of water} = \frac{\text{No. of plants}}{\text{Per ha}} \times \frac{\text{water required}}{\text{Per plant/day}}$$

$$= 4445 \times 9.45$$

$$= 42,000 \text{ lit/day/ha}$$

$$= 42 \text{ m}^3/\text{day/ha}$$

EX-4.5

141)

Determine the water requirement per m^2 per row of the crop having pan evaporation of the region as 8 mm/day with crop coefficient as 0.7 & % wetted area covered by the foliage is 50%.

$$\text{Water requirement} = \text{Crop area} \times PE \times P_c \times K_c \times \% \text{ of wetted area}$$

$$= (1 \times 1) \times 8 \times 0.7 \times 0.7 \times 0.5$$

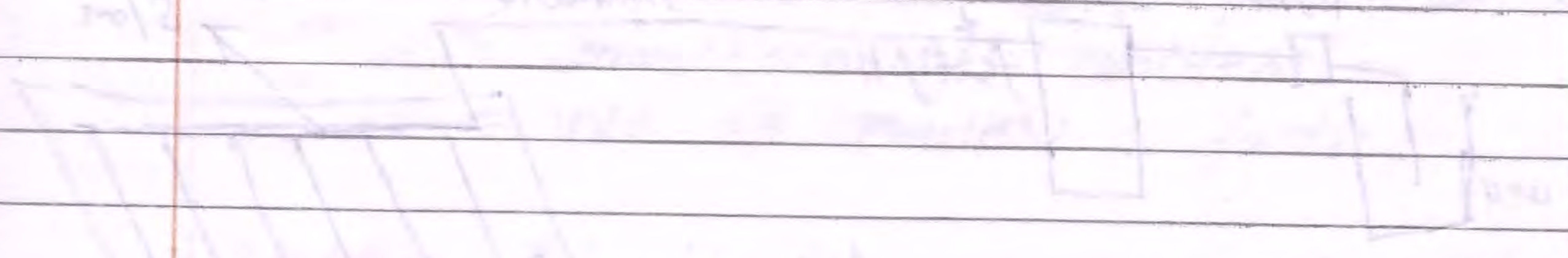
$$= 1.96 \text{ lit/m}^2/\text{day}$$

Ex-4.6
Name
(41)

Calculate the water requirement of gerbera whose spacing is 30cm x 30cm with pan evaporation is 10 mm. assume crop factor as 1 & canopy factor 1.

Solⁿ:

$$\begin{aligned}
 \text{Water requirement} &= \text{Crop area} \times PE \times P_c \times K_c \times \text{wettered area} \\
 &= 0.3 \times 0.3 \times 10 \times 0.8 \times 1 \times 1 \\
 &= 0.72 \text{ lit/day/plant}
 \end{aligned}$$



Head loss occurs due to friction

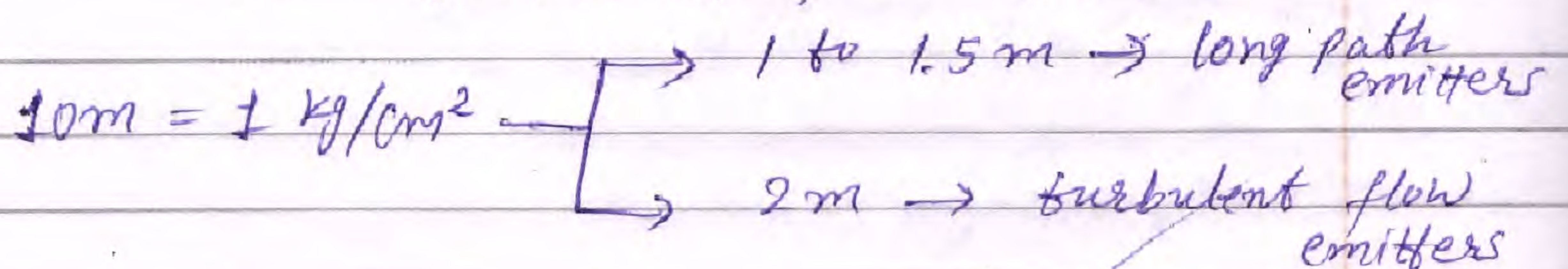
Lateral head loss Calculation

- The diameter of lateral is usually selected such that the difference in discharge between two extreme (ends, E_{100} and E_{01}) emitters operating simultaneously should not exceed 10%.

- For 10% variation in the flow, the pressure head difference between emitter should not exceed 10 to 15% of the average operating head.

- Where long path emitters are used & 20% of for turbulent flow emitters

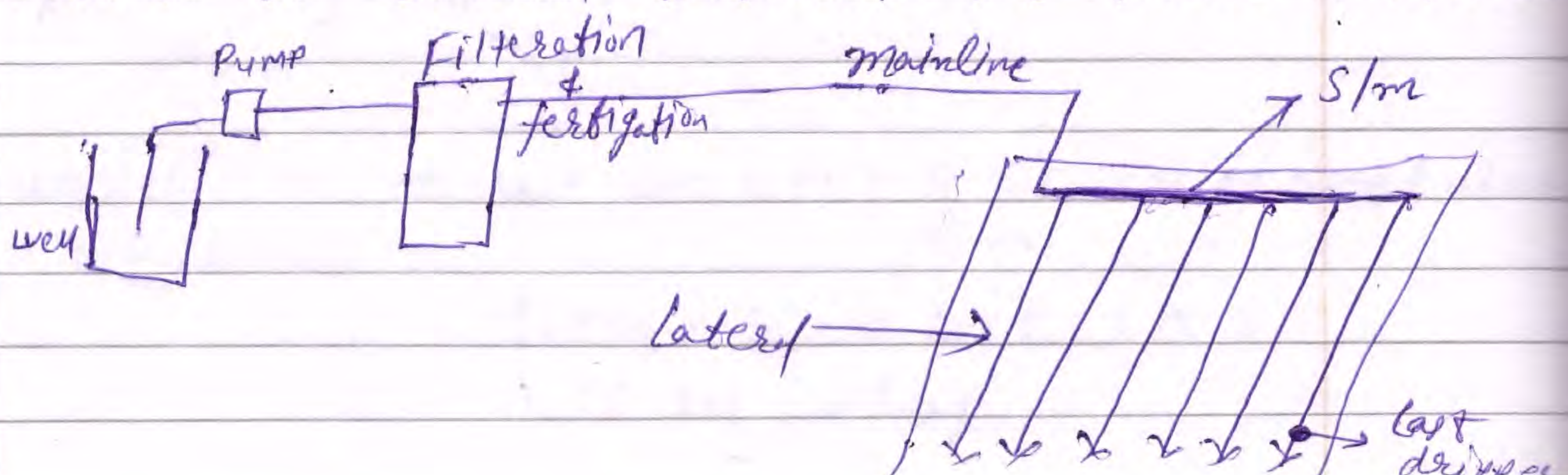
e.g.: a typical operating pressure of 10m (1 kg/cm^2) permits a head difference of 1 to 1.5m for long path emitters & 2m for turbulent flow emitter.



- The max. difference in pressure due to head loss, occurs between the control point at the inlet & the last emitter of the last lateral.

- The allowable head loss for level-area should be divided between the lateral & s/m line

$S_{lm} = S_{sub-main}$



$$\Delta H_e = 0.55 \Delta H_s$$

$$\Delta H_{sm} = 0.45 \Delta H_s$$

where, ΔH_e = head loss in lateral (m)

ΔH_{sm} = head loss in s/m (m)

ΔH_s = Allowed difference in pressure head in s/m & lateral (m)

Pressure head \propto friction head loss

→ The William-Hazen formula used for calculation of head loss

$$\Delta H_e = K \left(\frac{Q_l}{c} \right)^{1.852} \times D_l^{-4.871} (L + L_e) \times F$$

ΔH_e = Head loss in lateral (m)

K = constant = 1.21×10^{10}

Q_l = flow rate in the lateral (lps)

c = friction coefficient for continuous section of pipe & depends on pipe material

D_l = inside dia of lateral (mm)

F = outlet factor

L = lateral length (m)

L_e = equivalent length

= increase in length of lateral due to connections of emitters

= No. of emitters \times factor

William-Hazen
constant

Note:- If L_e is not given then $L + L_e$ can be assumed as equal to L .

→ The factor depends on additional length of lateral or extension tube used for emitters.

→ The equivalent length (L_e) suggested by Karmeli & Keller (1975)

→ The equivalent length (L_e) = 0.1 - 0.6 on-line
per emitter = 0.3 - 1.0 inline

Ex-4.8 Calculate the frictional head loss through
Main a lateral of drip system for following
(53) conditions

- NO. of emitters = 50
- Emitter discharge = 4 lph
- William-Hazen constant = 120
- Lateral diameter = 16 mm
- Lateral length = 50 m
- outlet factor = 0.36
- Lateral equivalent length per emitter = 0.35 m

80 m¹ - we know that the head loss in lateral is given by Hazen-William equation

$$\Delta H_f = K \left(\frac{Q_{el}}{c} \right)^{1.852} \times D_e^{-4.871} \times (L + L_e) \times F$$

Here

$$K = 1.21 \times 10^{10}$$

$$Q_{el} = \text{NO. of dripper in lateral} \times \text{dripper discharge}$$

$$= 50 \times 4 \text{ (lph)}$$

$$= 50 \times \frac{4}{24 \times 60} \text{ lps} = 0.055 \text{ lps}$$