

* Define Kor-watering, Kor-period & Kor-depth

Kor-watering (K)

- The first watering given to a crop when is few centimeters (3-cm) in height is called Kor-watering (सुरि पिस पीले मोरे पाय तुरि वे युधय विलेन सुमिलानि सुले लेले Kor-watering सेवामि सुले ऐ)
- Generally, it is the maximum watering

Kor-depth (S)

- The depth of watering (amount of water in cm, mm, m) given in Kor-watering is called Kor-depth
- Kor-depth for
Rice = 19-cm
Wheat = 13.5-cm
Sugarcane = 16.5-cm

Kor-period (b)

- The time-period in days in which the Kor-water is applied is called Kor-period
- Kor-period for
Rice = 2-4 weeks (14-28 days)
Wheat = 3-8 weeks (21-56 days)

Outlet factor

- The measurement of duty at the head of water-course or at the outlet of minor is called outlet factor

Ex-3.14

Punemnia
(66)

A water course has a culturable commanded area of 1200ha. The intensity of irrigation for crop A is 40% & for B is 35% both the crops being Rabi crops. Crop A has a kor period of 20-days & crop B has ~~20~~ kor period of 15-days. Calculate the discharge of the water course if the water course kor depth for crop A is 10-cm & for B is 16-cm.

Solⁿ:

Given data:

$$A = 1200 \text{ ha} = \text{C.C.A.}$$

For crop-A

$$I.I. = 40\% = 0.4$$

~~b = 15-days~~

$$b = 20\text{-days}$$

$$Q_p = ?$$

$$s = 10\text{-cm}$$

Note: Here, Kor-period (b) & Kor-depth (s) is nothing but they are based period (B) & Delta (D) for a particular ~~part~~ portion of irrigation.

So,

$$B \rightarrow b$$

$$A \rightarrow s$$

$$D \rightarrow d$$

- we know that

$$\text{Irrigable area} = I.I. \times \text{C.C.A.}$$

$$= 0.4 \times 1200$$

$$= 480 \text{ ha}$$

∴

$$\text{Duty (d)} = \frac{\text{Area} \times 864 \times b}{s}$$

$$= \frac{864 \times 20 \text{ (days)}}{10 \text{ (cm)}}$$

$$= 1728 \text{ ha/cumec}$$

Irrigable

Area ~~(ha)~~ (ha)

$$\text{Discharge (Q)} = \frac{\text{Area (ha)}}{\text{Duty (d)}} \quad (\text{ha/cumec})$$

$$= \frac{480}{1728} \quad (\text{cumec})$$

$$= 0.278 \quad (\text{cumec})$$

For Crop-B

$$I.I. = 35\% = 0.35$$

$$b = 15 \text{ - days}$$

$$Q = ?$$

$$\delta = 16 \text{ - cm}$$

Here,

$$\begin{aligned} \text{irrigable area} &= I.I. \times C.C.A. \\ &= 0.35 \times 1200 \\ &= 420 \text{ ha} \end{aligned}$$

$$\text{Duty (d)} = \frac{864 \times b}{\delta} = \frac{864 \times 15}{16} = 810 \text{ ha/cum}$$

So,

$$\begin{aligned} \text{Discharge (Q)} &= \frac{\text{Irrigable area}}{\text{Duty (d)}} \\ &= \frac{420}{810} = 0.519 \text{ cum} \end{aligned}$$

$$\text{Total design discharge} = Q_A + Q_B = 0.278 + 0.519 \approx 0.8$$

EX-3-17

(68)
Punamia

The base period, intensity of irrigation & duty of various crops under a canal system are given in the below table. Find the reservoir capacity if the canal losses are 20% & reservoir losses are 12%.

Crop	Base period (days)	Duty @ field (ha/cumec)	Area under the crop (ha)
Wheat	120	1800	4800
Sugar-Cane	360	800	5600
Cotton	200	1400	2400
Rice	120	800	3200
Vegetables	120	700	1400

Solⁿ:-

Note :- Here clearly mentioned that the reservoir capacity it means we need to find the volume of water stored in static condition in m^3 but not in flowing condition (m^3/s)

For wheat

$$\text{Discharge (cumec)} = \frac{\text{Area (ha)}}{\text{Duty (ha/cumec)}} = \frac{4800}{1800} = 2.66$$

$$\text{Volume of water in } m^3 = 2.66 \left(\frac{m^3}{s}\right) \times 120 \text{ (days)}$$

$$= 2.66 \times 120 \times 24 \times 60 \times 60 \left(\frac{m^3}{s} \times s\right)$$

$$= 2764.8 \times 10^4 m^3$$

Note :- Do calculation procedure for all crops & make as tabulated form

Column(5) x column(2) x 86,400

1 Crop	2 Base period (days)	3 Duty @ field (ha/cumec)	4 Area under crop (ha)	5 Discharge (m ³ /s)	6 Volume of water (m ³)
Wheat	120	1800	4800	2.66	2764.8 x 10 ⁴
Sugar-cane	360	800	5600	7.0	21772.8 x 10 ⁴
Cotton	200	1400	2400	1.71	2962.2 x 10 ⁴
Rice	120	900	3200	3.55	3686.4 x 10 ⁴
vegetables	120	700	1400	2.0	2073.6 x 10 ⁴
Total =					33,259.8 x 10⁴

Here, total volume of all crops requirement = $33,259.8 \times 10^4 \text{ m}^3$

Now, 20% are Canal losses & 12% are reservoir losses.

Volume of water @ Canal (80% utilize)

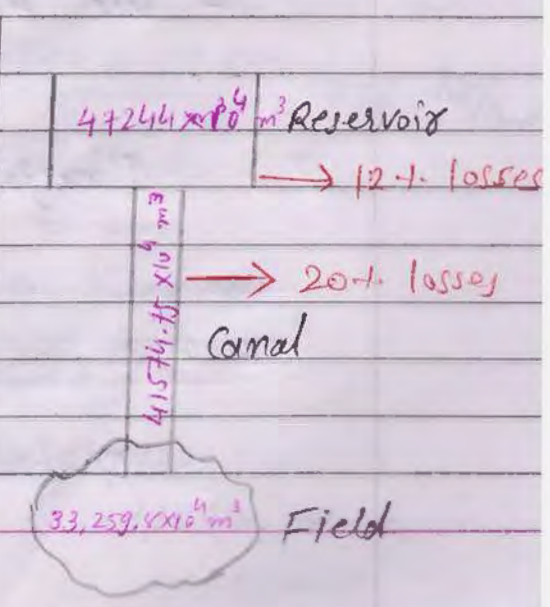
$$= \frac{33,259.8 \times 10^4}{0.8}$$

$$= 41574.75 \times 10^4 \text{ m}^3$$

Volume of water @ reservoir (88% utilize)

$$= \frac{41574.75 \times 10^4}{0.88}$$

$$= 47244 \times 10^4 \text{ m}^3$$



Ex-3.2

Garg

(79)

The gross Command area for a distributary is 6000 ha, 80% of which is culturable irrigable. The intensity of irrigation for Rabi season is 50% & that for Kharif season is 25%. A Rabi season crop has a ~~crop~~^{K_{ox}} period of 4 weeks & Kharif season crop has K_{ox} period of 2.5 week. Determine the discharge required at the outlet of minor, if the cor depth is 13.5 cm & 19- for Rabi & Kharif crop, respectively.

solⁿ:-

Given data:

$$G.C.A. = 6000 \text{ ha}$$

So,

$$C.C.A. = 0.8 \times 6000 = 4800 \text{ ha}$$

For Rabi crop

$$I.I. = 50\% = 0.5$$

$$b = 4 \text{ weeks} = 4 \times 7 = 28 \text{ -days}$$

$$q = ?$$

$$s = 13.5 \text{ -cm}$$

- we know that

$$\begin{aligned} \text{Irrigable area} &= I.I. \times C.C.A. \\ &= 0.5 \times 4800 \\ &= 2400 \text{ ha} \end{aligned}$$

NOW,

$$\text{Discharge } (Q) = \frac{\text{Irrigable Area } (A)}{\text{Duty } (d)}$$

but,

$$\text{Duty (d)} = \frac{864 \times b}{\delta} = \frac{864 \times 28}{13.5} = 1792 \text{ ha/cm}$$

So,

$$Q = \frac{2400 \text{ (ha)}}{1792 \text{ (ha/cumec)}} = 1.34 \text{ cumec}$$

For Kharif season

$$I.T = 25\% = 0.25$$

$$b = 2.5 \text{ weeks} = 2.5 \times 7 = 17.5 \text{ days}$$

$$Q = ?$$

$$\delta = 19 \text{ cm}$$

- we know that

$$\begin{aligned} \text{Irrigable area} &= I.T. \times C.C.A. \\ &= 0.25 \times 4800 \\ &= 1200 \text{ ha} \end{aligned}$$

∴

$$\text{Duty (d)} = \frac{864 \times b}{\delta} = \frac{864 \times 17.5}{19.5} = 796 \text{ ha/cm}$$

So,

$$\text{Discharge (Q)} = \frac{\text{Irrigable area (A)}}{\text{Duty (d)}}$$

$$\begin{aligned} &= \frac{1200 \text{ (ha)}}{796 \text{ (ha/cumec)}} \\ &= 1.51 \text{ cumec} \end{aligned}$$

Ex-3.4

Geog

(81)

The culturable commended area for a distributary is 15,000 ha. The intensity of irrigation for Rabi (wheat) is 40% & for Kharif (^{Rice} ~~Rabi~~) is 15%. If the total water requirement of the two crops are 37.5 cm & 120 cm & their period of growth are 160-days & 140-days respectively

a- Determine the outlet discharge from average demand considerations

b- Also determine the peak demand discharge assuming that the K₀ water depth for two crops are 13.5 cm & 19 cm & their K₀ periods are 4-weeks & 2-weeks respectively.

Solⁿ:-

Given data;

$$C.C.A. = 15,000 \text{ ha}$$

For Rabi (Wheat)

For Kharif (Rice)

$$\text{Irrigable area} = I.I. \times C.C.A.$$

$$\text{Irrigable area} = I.I. \times C.C.A.$$

$$= 0.4 \times 15,000$$

$$= 0.15 \times 15,000$$

$$= 6000 \text{ ha}$$

$$= 2250 \text{ ha}$$

a-> Determine the outlet discharge from average demand considerations

For Rabi (Wheat)

$$\text{Duty (D)} =$$

For Rabi (wheat)

$$\text{Discharge (Q)} = \frac{\text{Irrigable Area (ha)}}{\text{Duty (D)} \text{ (ha/cumec)}}$$

but

$$\text{Duty (D)} = \frac{864 \times B}{\Delta}$$

For Rabi (wheat)

Given that

$$\Delta = 37.5 - \text{cm}$$

$$B = 160 - \text{days}$$

So,

$$\text{Duty (D)} = \frac{864 \times B}{\Delta} = \frac{864 \times 160}{37.5} = 3686 \frac{\text{ha}}{\text{cumec}}$$

∴

$$\text{Discharge (Q)} = \frac{\text{Irrigable area (ha)}}{\text{Duty (ha/cumec)}}$$

$$= \frac{6000}{3686}$$

$$= 1.63 \text{ cumec (m}^3/\text{s)}$$

Similarly for Kharif (Rice) (800 ac)

For Kharif (Rice) crop

Given that

$$\Delta = 120\text{-cm}$$

$$B = 140\text{-days}$$

$$\text{Duty (D)} = \frac{864 \times B}{\Delta} = \frac{864 \times 140}{120} = 1008 \text{ ha/turnec}$$

So,

$$\text{Discharge (Q)} = \frac{\text{Irriable area (ha)}}{\text{Duty (ha/turnec)}}$$

$$= \frac{2250}{1008} \frac{\text{ha}}{\text{ha/turnec}}$$

$$= 2.23 \text{ turnec (m}^3\text{/s)}$$

b.) Also determine the peak demand discharge, assuming that the K_{ox} water depth for two crops are 13.5-cm & 19-cm & their K_{ox} periods are 4-weeks & 2-weeks respect

For Rabi (Wheat) crop

Given that

$$s = 13.5\text{-cm}$$

$$b = 4\text{-weeks}$$

$$= 4 \times 7$$

$$= 28\text{-days}$$