

* Explain the methods of Consumptive use (C_u)
 02

Enlist the various method of Consumptive use (C_u) & explain any one of them
 03

Explain any one method of Consumptive use (C_u) given by scientists
 03

What is the Consumptive use (C_u) & explain one method to determine the Consumptive use (C_u) of crops

Soil? - These are mainly four (4) methods to compute the Consumptive use (C_u) of the crop

- 1 - Blaney - Criddle method
- 2 - Thornthwaite formula/method
- 3 - Hargreaves method/equation
- 4 - Penman Monteith method

1.7 Blaney - Criddle method

- This method was given by Blaney & Criddle in 1950

- They found/researched that the Consumptive use (C_u) is closely related to temperature (monthly avg. temp), day-light hours (monthly) & length of crop growing season

- In short this method is based on the temperature (t), day-light hours (P) & crop growing length

- They gave following expression to find out the C_u (Consumptive use)

$$C_u = \frac{P}{40} (1.8t + 32) \longrightarrow (S.K. Garg)$$

where C_u = Consumptive use (cm)

P = Monthly day-light hour percentage

t = Monthly average temperature ($^{\circ}C$)

- we may also write that

~~$$C_u = \frac{P}{40} \left(\frac{1.8}{40} t + \frac{32}{40} \right)$$~~

~~$$= 0.025P (0.045t + 0.8)$$~~

$$C_u = \frac{P \times 1.8}{40} \left(t + \frac{32}{1.8} \right)$$

$$= 0.045P (t + 17.77)$$

$$C_u \approx 0.046P (t + 17.8)$$

Here, C_u in cm, if we convert it into mm then it is multiply by 10 so,

$$C_u = 0.46P (t + 17.8)$$

For 'Ordy'

$$C_u = P (0.46t + 8.188)$$

$$C_u \approx P (0.46t + 8) \longrightarrow (A.M. Michale)$$

where

C_u = Consumptive use (mm)

t = Monthly avg. temp. ($^{\circ}\text{C}$)

P = Monthly day-light hours percentage

$$P = \frac{\text{monthly day time hour}}{\text{Total annual day time hour}} \times 100$$

Now,

- From above equation we may say that there is only two factors required namely temp. (t) & day-light hours percentage (P) so, it is very simple method to calculate the consumptive use (C_u) of crop based on only climatic data:

- As above calculated C_u is the PET (Potential evapotranspiration) but we need AET (Actual evapotranspiration) which is given by multiplying the above equation by crop factor (K)

So,

Remember

$$\left\{ \begin{array}{l} C_u = \frac{K \times P}{40} (1.8t + 32) \quad \rightarrow C_u \text{ in cm} \\ C_u = KP (0.46t + 8) \quad \rightarrow C_u \text{ in mm} \end{array} \right.$$

where K = crop factor, determined by experiments & which may vary from initial stage to the final stage of crop

Ex-2.9

Geog

(37)

wheat is to be grown at a certain place, the useful climatological conditions of which are tabulated below

a - Determine the evapotranspiration & Consumptive irrigation requirement of wheat crop.

b - Also determine the field irrigation requirement if the water application efficiency is 80%.

Make use of Blaney-Criddle equation & a crop factor equal to 0.8

Month	Avg. monthly temp. (°C) (T)	Avg. monthly day-light hrs (h) (P)	Effective rainfall (cm) (Re)
NOV.	18	7.20	1.7
DEC.	15	7.15	1.42
JAN.	13.5	7.30	3.01
FEB.	14.5	7.10	2.25

Solⁿ:

Note :- Here you can use any formula both of them but kept in mind that one is in-cm & other one is in-mm

Here, ER is given in cm-so, I can use first formula

$$K = 0.8 \text{ (given)}$$

- We know that

$$C_u = \frac{K \times P}{40} (1.8 \delta + 32)$$

For NOV

$$\begin{aligned} C_u / AET &= \frac{0.8 \times 7.20}{40} (1.8 \times 18 + 32) \\ &= 0.144 (64.40) \\ &= 9.27 \text{ cm} \end{aligned}$$

For DEC

$$\begin{aligned} C_u / AET &= \frac{0.8 \times 7.15}{40} (1.8 \times 15 + 32) \\ &= 8.43 \text{ cm} \end{aligned}$$

For JAN

$$\begin{aligned} C_u / AET &= \frac{0.8 \times 7.30}{40} (1.8 \times 13.5 + 32) \\ &= 8.21 \end{aligned}$$

For FEB

$$\begin{aligned} C_u / AET &= \frac{0.8 \times 7.10}{40} (1.8 \times 14.5 + 32) \\ &= 8.25 \text{ cm} \end{aligned}$$

Here,

$$\text{Total } C_u = 9.27 + 8.43 + 8.21 + 8.25$$

$$\underline{C_u = 34.16}$$

f

pan evaporation \times C_p = Actual evaporation \rightarrow pan-coefficient

$$E_{pan} \times C_p = E_{act}$$

Similarly

pan evapotranspiration \times C_p = Actual evapotranspiration
 = (AET) (C_u)

$$E_{Tpan} \times C_p = E_{Tact}$$

$$E_{Tpan} \times C_p = C_u$$

So,

$$\text{Evapotranspiration (} E_{Tpan} \text{)} = \frac{C_u}{C_p}$$

$$= \frac{34.16}{0.8} \rightarrow \text{Kare crop factor as a pan factor}$$

$$= 42.70 - \text{cm}$$

Now,

$$\text{(IR (consumptive irrigation requirement))} = C_u - R_e$$

\downarrow
 Eff. rainfall

Here

$$ER (Re) = 1.70 + 1.42 + 3.01 + 2.25 \quad (\text{given})$$

$$= 8.38 - \text{cm}$$

So,

$$CIR = C_u - Re$$

$$= 34.16 - 8.38$$

$$= 25.78 - \text{cm}$$

+

$$\frac{\text{Field irrigation requirement (FIR)}}{\text{or}} = \frac{NIR}{\eta_a}$$

$$\text{Gross irrigation requirement (GIR)}$$

where

NIR = Net irrigation requirement

η_a = Application efficient (80% = 0.8 gives

Note) - Kept in mind CIR \neq NIR both are same

So,

$$GIR = \frac{CIR}{\eta_a}$$

$$= \frac{25.78}{0.8}$$

$$= 32.22 - \text{cm}$$