

peak demand means ~~discharge~~ (Maximum discharge)

So,

$$\text{Discharge (Q)} = \frac{\text{Irrigable Area (ha)}}{\text{Duty (d)}}$$

but

$$\text{Duty (d)} = \frac{864 \times b}{\delta}$$

$$= \frac{864 \times 28}{13.5}$$

$$= 1792 \text{ ha/cumec}$$

hence,

$$Q = \frac{6000}{1792} = 3.35 \text{ cumec}$$

For Kharif (Rise) crop

Given that

$$\delta = 19\text{-cm}$$

$$b = 2\text{-weeks} = 2 \times 7 = 14\text{-days}$$

So,

$$\text{Duty (d)} = \frac{864 \times b}{\delta} = \frac{864 \times 14}{19} = 636 \text{ ha/cumec}$$

4

$$\text{Discharge (Q)} = \frac{\text{Irrigable Area (A)}}{\text{Duty (d)}} = \frac{2250}{636} = 3.54 \text{ ha}$$

Hence, Peak demand (max. discharge) = 3.54 cumec

(out of both take max. discharge)

Ex-3.5

Garg

(81)

At a certain place in India, the transplanta-
 tion of rice takes 16-days & the total
 depth of water required by the crop is 60-cm
 on the field. During this transplantation period
 of 16-days, rain starts falling & about 10 cm
 of rain is being utilised to fulfil the rice
 demand.

- a- Assuming 25% lesser of water in water-
 course, find the duty of water at the
 head of the water-course.
- b- Find the duty of water at the head
 of distributary, assuming 15% losses from
 the distributary head to the watercourse
 head.

Solⁿ:-

Given data

$$\text{Base period (B)} = 16\text{-days}$$

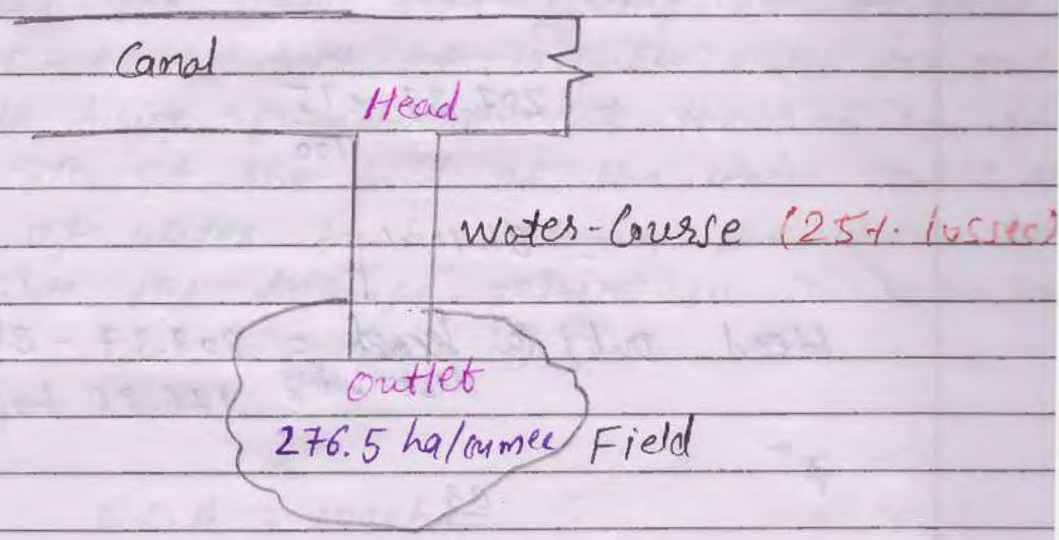
$$\begin{aligned} \text{Depth of net water (D)} &= \text{Total depth} - \text{Rainfall des} \\ &= 60 - 10 \\ &= 50\text{-cm} \end{aligned}$$

Note: Here total depth water required to rice
 is 60-cm but due to rainfall of 10-cm
 it is fulfill 10-cm so, we need to apply
 only 50-cm of water

So,

$$\text{Duty (D)} = \frac{864 \times B \text{ (days)}}{D \text{ (cm)}} = \frac{864 \times 16}{50} = 276.5 \frac{\text{ha}}{\text{cum}}$$

Q.) Assuming 25% losses of water in water course find the duty of water at the head of the water-course



Note :- Duty will be increased as we move ahead so, the duty will be more at outlet than the head

Here, duty at outlet = 276.5 ha/cumec

Losses @ 25% = 0.25

Losses = 276.5 x 0.25 = 69.12

Duty at head = 276.5 - 69.12 = 207.37 ha/cumec

OR

25% losses it means 75% water is utilized at head out of 100% outlet

So, Duty @ head = $\frac{276.5 \times 0.75}{1} = 207.37$ ha/cumec

b.) Find the duty of water at the end of distributary, assuming 15% losses from the distributary head to the watercourse head.

Here 15% losses

$$\begin{aligned} \text{So,} \\ &= 207.37 \times \frac{15}{100} \end{aligned}$$

$$= 31.10 \%$$

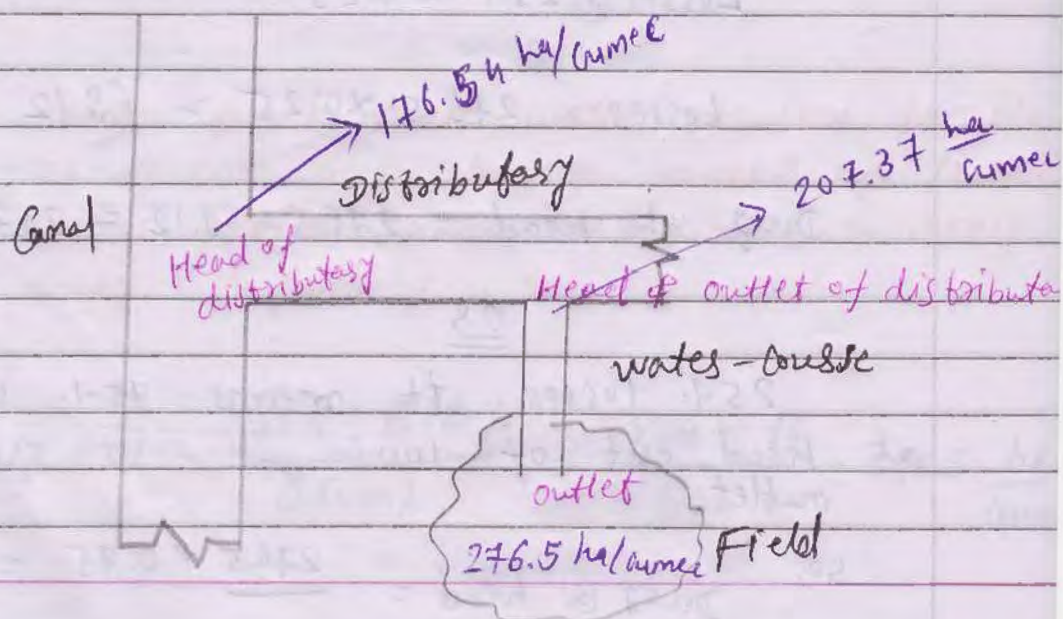
$$\begin{aligned} \text{Head Duty @ } \text{Head of distributary} &= 207.37 - 31.10 \\ &= 176.26 \text{ ha/cumec} \end{aligned}$$

φ

0.85

15% losses it means 85% of water is utilized out of 100% @ distributary

$$\begin{aligned} \text{Duty @ distributary} &= 207.37 \times 0.85 \\ &= 176.54 \text{ ha/cumec} \end{aligned}$$



Ex-3.27

Examinia
(94)

A water course commands an irrigated area 1000 ha. The intensity of irrigation of rice in this area is 70%. The transplantation of rice crop takes 15-days & during transplantation period, total depth of water required for the crop on the field is 500 mm. During the transplantation period, the useful rain falling on the field is 120 mm. Find the duty of irrigation water for crop on the field during transplantation at the head of the field & also at the head of the water course, assuming loss of water to be 20% in the water course. Also, calculate the discharge required in the water course.

Solⁿ:-

Given data:

$$C.C.A. = 1000 \text{ ha}$$

$$I.I. = 70\% = 0.7$$

$$\text{Base Period (B)} = 15\text{-days}$$

$$\text{Irrigable area (A)} = C.C.A. \times I.I. = 1000 \times 0.7 = 700 \text{ ha}$$

$$\text{Depth of water required (D)} = \text{Total requirement} - \text{Effective rainfall}$$

$$= 500 - 120$$

$$= 380 \text{ mm}$$

$$= 38 \text{ cm}$$

$$\text{Duty (D)} = \frac{864 \times B}{\Delta} = \frac{864 \times 15}{38} = 341 \text{ ha/cumec}$$

$$\text{Duty @ water-course} = 341 \times 0.8 = 272.8 \text{ ha/cumec}$$

20% losses means 80% utilizable at the outlet of water-course so, the duty will be more at water-course outlet because there is more discharge.

$$\text{Discharge (Q)} = \frac{\text{Irrigable Area (ha)}}{\text{Duty (ha/cumec)}} = \frac{700}{272.8} = 2.57 \text{ cumec}$$

Ex-3.28 The base period, intensity of irrigation & duty of water for various crops under the canal system are given. Determine the reservoir capacity if the culturable commands area is 4000ha, Canal losses are 25%. Reservoir losses are 15%.

| Crop | Base period (days) | Intensity of Irrigation (%) | Duty @ field (ha/cumec) |
|------------|--------------------|-----------------------------|-------------------------|
| Wheat | 120 | 20 | 1800 |
| Sugar-Cane | 360 | 20 | 1700 |
| Cotton | 180 | 10 | 1400 |
| Rice | 120 | 15 | 900 |
| Vegetable | 120 | 15 | 700 |

Do as self As per example of 3.17 (Panama) as we solved earlier / previous

Balraj Dhole B., CAET, Godhra

$$1 \text{ hp} = 746 \text{ watt} = 0.746 \text{ kW}$$

Babu Duda B. CAET, Boudha

Ex-3.7

(Garg)

(83)

A pump is installed on a well to lift water & to irrigate rice crop, sown over 3ha of land. If duty for rice is 864 ha/cumec on the field & pump efficiency is 48%; determine the minimum required input (H.P.) of the pump, if the lowest well water level is 8-meters below the highest portion of the field. Assume negligible field channel loss.

Note: This numerical is used for 5th sem. 13⁰⁰ year of "Ground water wells & pumps" subject & also for "Drip & sprinkler irrigation system" (4th sem)

Formula to find H.P.

$$\text{H.P. (Horse Power)} = \frac{\text{Discharge, } Q_2 \text{ (LPS)} \times \text{Head, } H \text{ (m)}}{75 \times \eta_p \times \eta_m}$$

where, H.P. = Horsepower (hp)

Q_2 = Discharge of pump (LPS, lit/sec)

H = Head / Height (m)

η_p = Pump efficiency (decimal)

η_m = Motor efficiency (decimal)

Solⁿ:-

Given data;

Irrigable area (A) = 3ha

Duty (D) = 864 ha/cumec

$\eta_p = 48\% = 0.48$

$\eta_m = \text{not given} -$

H.P. = ?

Head / Height (H) = 8-m

- we need to find the discharge (Q_2)

So,

$$\text{Discharge (Q)} = \frac{\text{Irregular Area (h)}}{\text{Duty (ha/cume)}} = \frac{3}{864} \frac{\text{h}}{(\text{ha/cume})}$$

$$= \frac{3}{864} \frac{\text{h}}{(\text{ha/cume})}$$

$$= 0.003472 \text{ cume/c}$$

$$= 0.003472 \text{ m}^3/\text{s}$$

$$= 3.472 \text{ lit/sec (lps)}$$

Now,

$$\text{H.P.} = \frac{\text{Q (lps)} \times H (\text{m})}{75 \times \eta_p}$$

$$= \frac{3.472 \times 8}{75 \times 0.48}$$

$$= 0.77 \text{ hp}$$

$$\approx 0.8 \text{ hp}$$

as

$$1 \text{ hp} \quad 746 \text{ watt} / 0.746 \text{ kW}$$

$$0.8 \text{ hp} \quad ?$$

$$= 746 \times 0.8$$

$$= 596.8 \text{ watt}$$

$$= 0.596 \text{ kW} \quad (\text{kW} = \text{kilo watt})$$

Irrigation Efficiencies

* what is the irrigation efficiency & explained all in details

Irrigation efficiency

- It is the ratio of output of water to the input of water

$$\eta = \frac{\text{output}}{\text{Input}} = \frac{\text{Utilized water}}{\text{Input water}}$$

- It is expressed in percentage.

- when losses are more then output will be less so, the efficiency will be less therefore we can say that the efficiency is inversely proportional to the losses.

- Following six irrigation efficiencies are counted or noticed in the irrigation supply

- 1.) Water- Conveyance efficiency (η_c)
- 2.) Water application efficiency (η_a)
- 3.) Water use efficiency (η_u)
- 4.) Water storage efficiency (η_s)
- 5.) Water distribution efficiency (η_d)
- 6.) Consumptive use efficiency (η_{cu})

1.) Water Conveyance efficiency (η_c)

- It depends on conveyance or transit losses of water in canals.

- It is the ratio of water delivered into the farm to the water supplied from the river or reservoir.

$$\eta_c = \frac{\text{Water delivered into the farm}}{\text{Water supplied from river}} \times 100$$

$$\eta_c = \frac{W_f}{W_r} \times 100 \quad \left(\begin{array}{l} f = \text{farm} \\ r = \text{river} \end{array} \right)$$

River 450 cumec (W_r)

Farm → 1 cumec (W_f)

$$\eta_c = \frac{1}{450} \times 100 = 0.22 \%$$